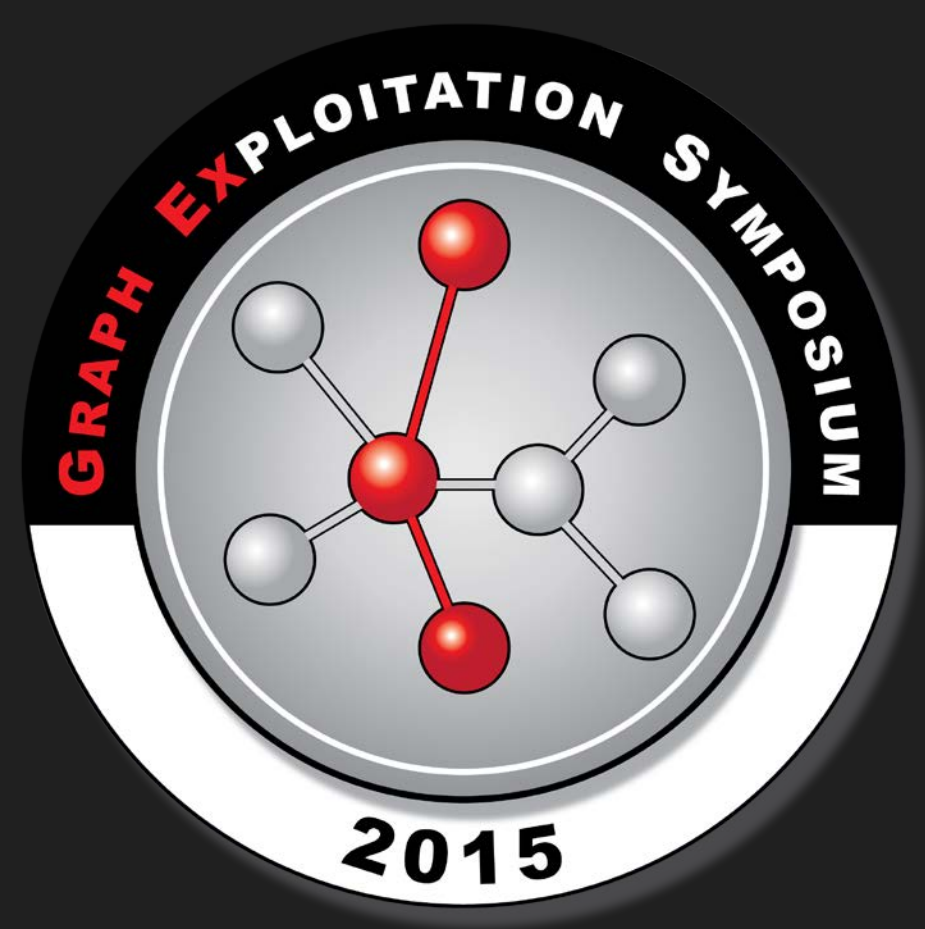


Identifying the Breaking Point: Phase Shift Behavior in Classifying Graph Models

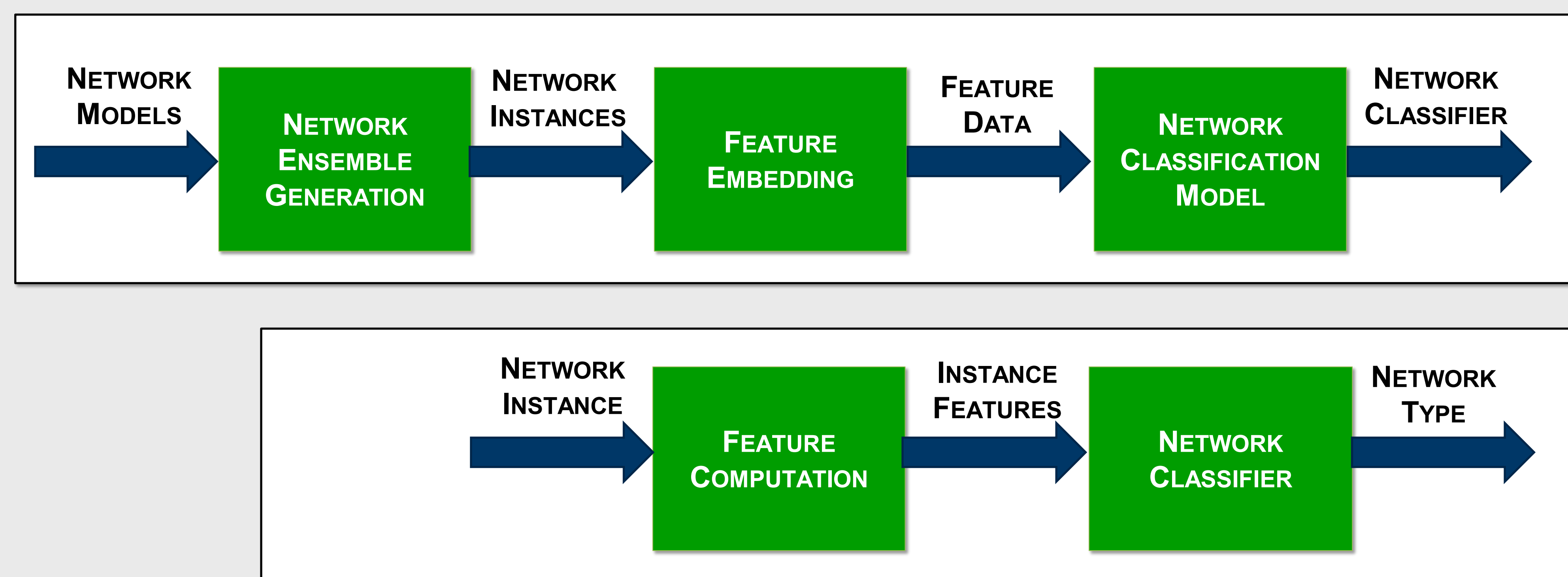


Problem

- Given an observed graph and a collection of generative models, what is the closest generative model?
- Are topological features robust for discriminating graph models?

Approach

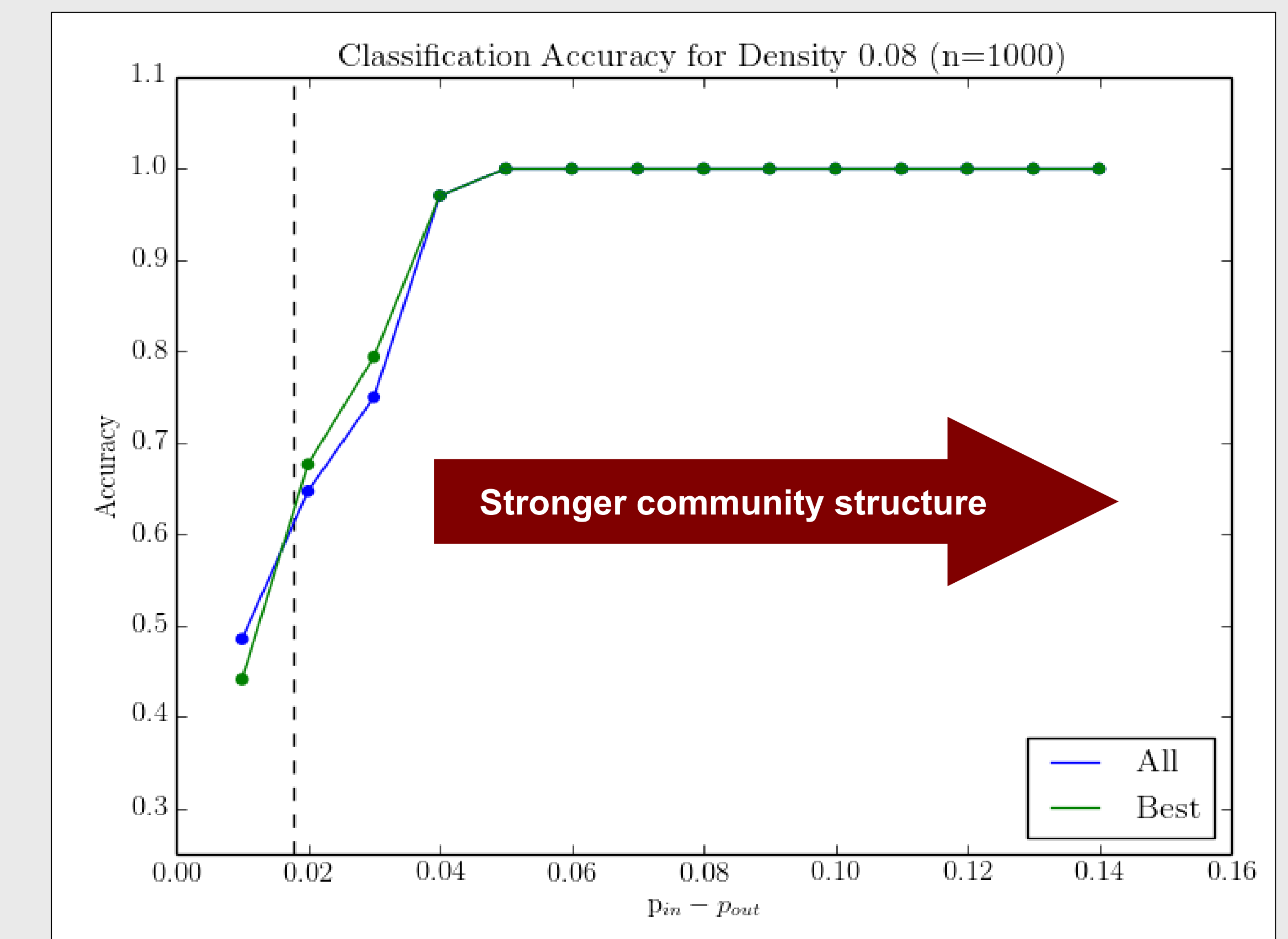
- Given a model, construct an ensemble of graph instances that captures its variation
- Given different models and mappings of their graph ensembles to feature spaces, test if models can be discriminated



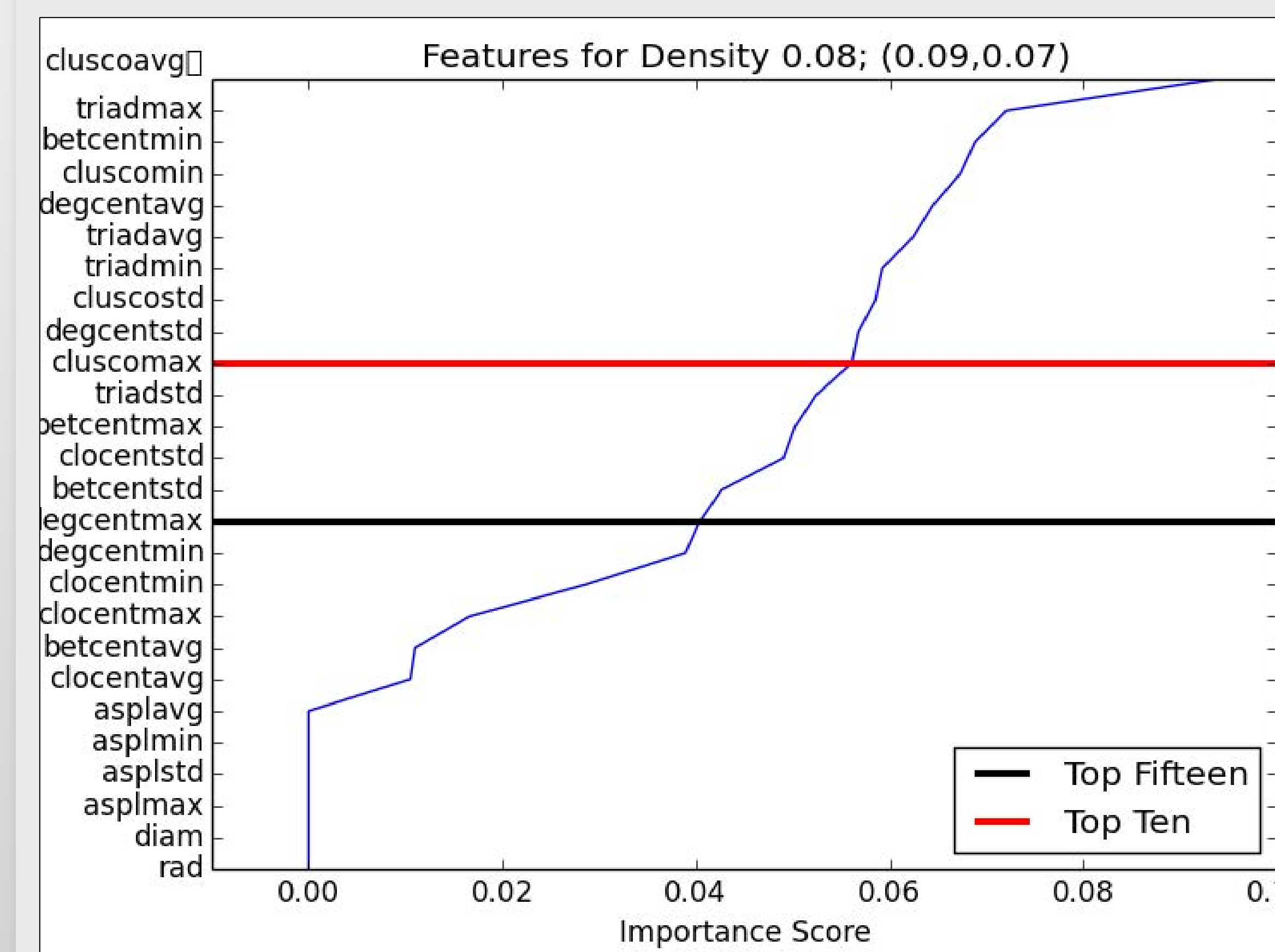
- **Main Goals:**
 - Full characterization of model space
 - Graphs with realistic properties
 - Complex feature representation
 - Computationally feasible framework

Experimental Setup/Results

- Models: Erdős-Rényi, Stochastic Block Model
- Parameters: Sparse Regime
- Features: Topological
- Classifier: Random Forest (RF)



RF Performance



RF Feature Selection

- RF is able to separate a sparse block from a sparse Erdős-Rényi
- Accuracy of our method approaches the theoretical limit
- Only a small subset of features needed to discriminate
- Discriminating features change for different parameter settings

Future Work

- Analyze RF performance as a function of graph size
- Consider additional graph realistic models
- Consider alternative feature representations of graphs